



Atomistic Simulations of Materials Strength on BG/L

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Outline



- Background
- Workload and storage estimates on BlueGene/L – our vision
- Programming models

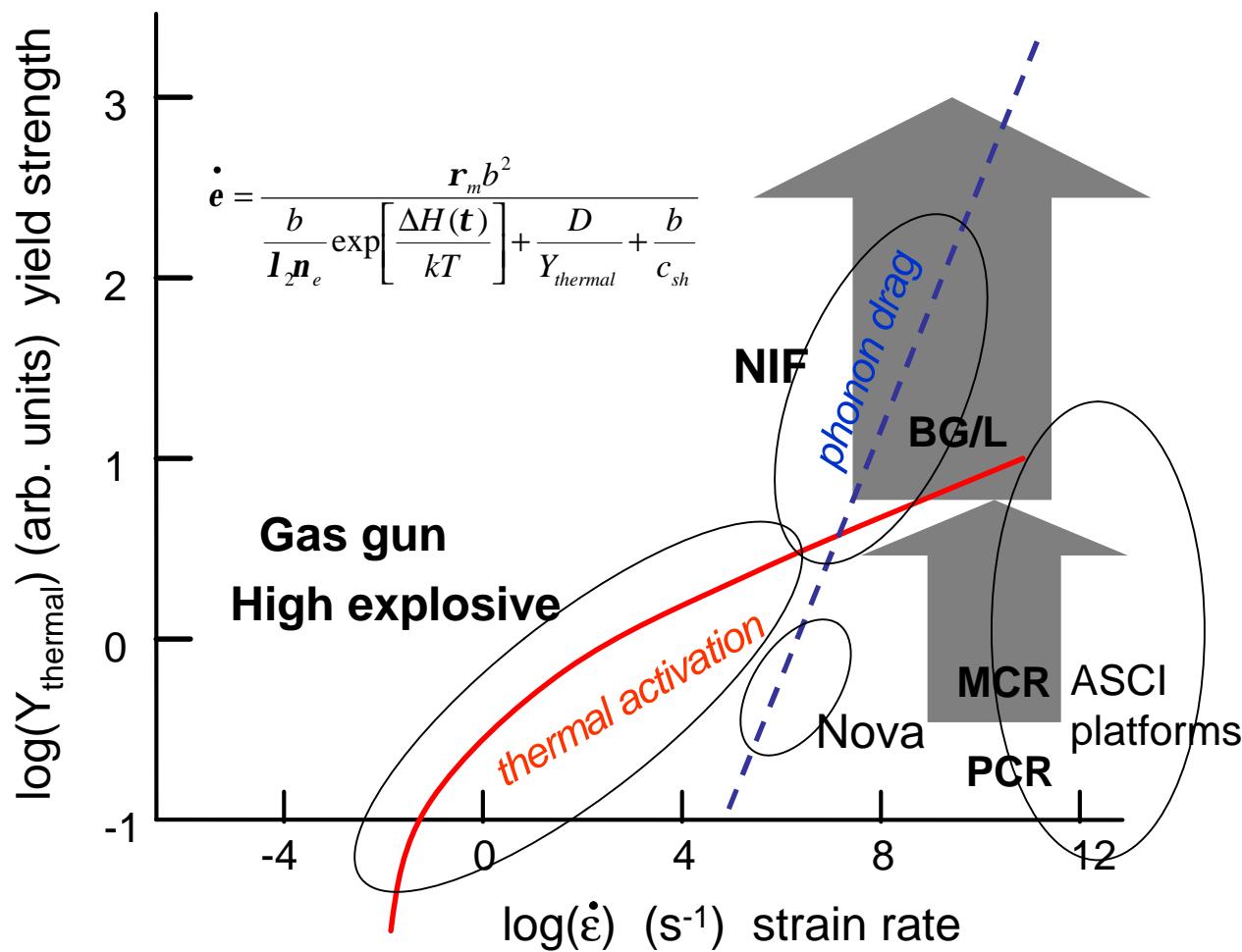
Domain decomposition

I/O

Communication schemes

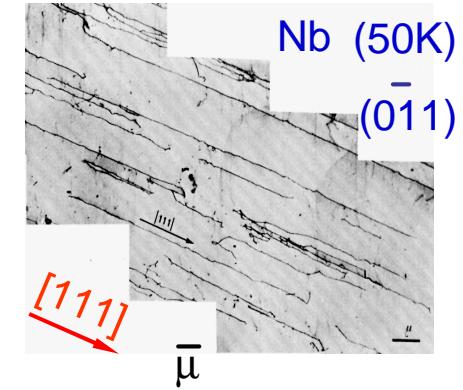
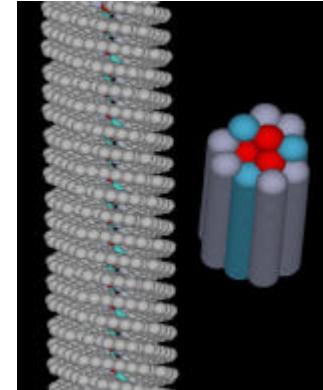
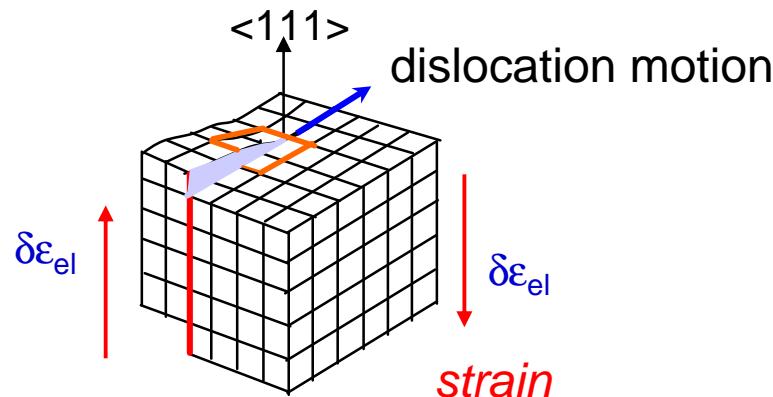
- Conclusion and future work

Materials strength is described by physics-based constitutive models

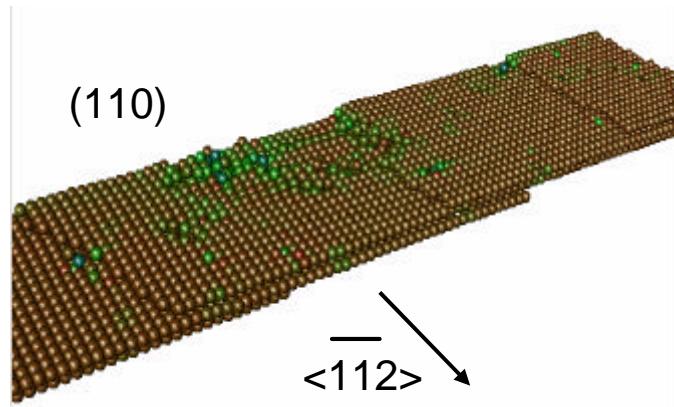


The gaps between simulations and experiments are narrowing in space and time

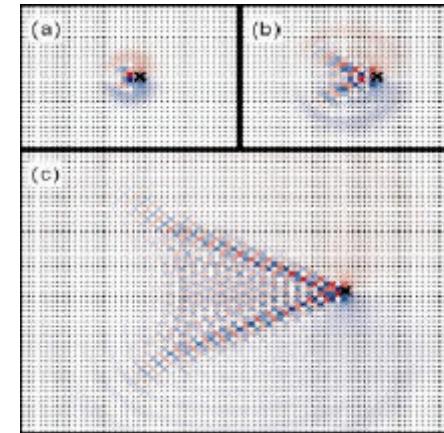
Physics-based properties are controlled by dislocation motion



Dislocations are line defects in materials



Thermal-activation region
(low temperatures and strain rates)



Phonon-drag region
(high temperatures and strain rates)

Materials strength involving *d*- and *f*-electrons



Periodic Table of Elements showing atomic number, symbol, and atomic weight. A legend indicates color coding: Metal (red), Semimetal (green), and Nonmetal (yellow).

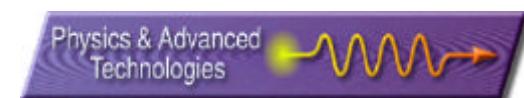
	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18
1	H 1.008												B 10.81	C 12.01	N 14.01	O 16.00	F 19.00	He 4.003
2	Li 6.941	Be 9.012											Al 26.98	Si 28.09	P 30.97	S 32.07	Cl 35.45	Ar 39.95
3	Na 22.99	Mg 24.31											Ga 69.72	Ge 72.61	As 74.92	Se 78.96	Br 79.90	Kr 83.80
4	K 39.10	Ca 40.08	Sc 44.96	Ti 47.88	V 50.94	Cr 52.00	Mn 54.94	Fe 55.85	Co 58.93	Ni 58.69	Cu 63.55	Zn 65.39						
5	Rb 85.47	Sr 87.62	Y 88.91	Zr 91.24	Nb 92.91	Mo 95.94	Tc 98.91	Ru 101.1	Rh 102.9	Pd 106.4	Ag 107.9	Cd 112.4	In 114.6	Sn 118.7	Sb 121.8	Te 127.6	I 126.9	Xe 131.3
6	Cs 132.9	Ba 137.3	Lu 175.0	Hf 178.5	Ta 180.9	W 183.8	Re 186.2	Os 190.2	Ir 192.2	Pt 195.1	Au 197.0	Hg 200.6	Tl 204.4	Pb 207.2	Bi 209.0	Po 209.0	At 210.0	Rn 222.0
7	Fr 223.0	Ra 226.0	Lr 262.1	Rf 261.1	Db 262.1	Sg 263.1	Bh 264.1	Hs 265.1	Mt 268	Uun 269	Uuu 272	Uub 277	Uut 289	Uuq 289	Uup 289	Uuh 289	Uus 289	Uuo 293
6	La 138.9	Ce 140.1	Pr 140.9	Nd 144.2	Pm 146.9	Sm 150.4	Eu 152.0	Gd 157.3	Tb 158.9	Dy 162.5	Ho 164.9	Er 167.3	Tm 168.9	Yb 173.0				
7	Ac 227.0	Th 232.0	Pa 231.0	U 238.0	Np 237.0	Pu 244.1	An 243.1	Cm 247.1	Bk 247.1	Cf 251.1	Es 252.0	Fm 257.1	Md 258.1	No 259.1				

(c)1998 Kremer Paul

Important issues:

Energy functional

Boundary conditions



Energy functional involving mid-range interactions (far beyond the nearest neighbors)



$$E_{tot}(R_1, \dots, R_N) = E_{vol}(\Omega) + \frac{1}{2} \sum_{i,j}^2 v_2(ij; \Omega) + \frac{1}{6} \sum_{i,j,k}^3 v_3(ijk; \Omega) + \frac{1}{24} \sum_{i,j,k,l}^4 v_4(ijkl; \Omega)$$

$$v_2(r; \Omega) = v_2^{sp}(r; \Omega) + v_2^{hc}(r; \Omega) + v_2^d(r; \Omega)$$

$$v_2^d(r; \Omega) = v_a(\Omega)[f(r)]^4 - v_b(\Omega)[f(r)]^2$$

$$f(r) = \begin{cases} \left(\frac{r_0}{r}\right)^p, & r \leq R_0 \\ \left(\frac{r_0}{r}\right)^p \left[1 + a\left(\frac{r}{R_0} - 1\right)^2\right] \exp\left[-a\left(\frac{r}{R_0} - 1\right)^2\right], & r > R_0 \end{cases}$$

$$\begin{aligned} v_3(r_1, r_2, r_3; \Omega) = & v_c(\Omega) f(r_1) f(r_2) f(r_3) L(\mathbf{q}_1, \mathbf{q}_2, \mathbf{q}_3) + v_d(\Omega) \{ [f(r_1) f(r_2)]^2 P(\mathbf{q}_3) \\ & + [f(r_2) f(r_3)]^2 P(\mathbf{q}_1) + [f(r_3) f(r_1)]^2 P(\mathbf{q}_2) \} \end{aligned}$$

$$\begin{aligned} v_4(r_1, r_2, r_3, r_4, r_5, r_6; \Omega) = & v_e(\Omega) \{ f(r_1) f(r_2) f(r_4) f(r_5) M(\mathbf{q}_1, \mathbf{q}_2, \mathbf{q}_3, \mathbf{q}_4, \mathbf{q}_5, \mathbf{q}_6) \\ & + f(r_3) f(r_2) f(r_6) f(r_5) M(\mathbf{q}_7, \mathbf{q}_8, \mathbf{q}_9, \mathbf{q}_{10}, \mathbf{q}_5, \mathbf{q}_2) \\ & + f(r_1) f(r_6) f(r_4) f(r_3) M(\mathbf{q}_{11}, \mathbf{q}_{12}, \mathbf{q}_5, \mathbf{q}_6, \mathbf{q}_3, \mathbf{q}_4) \} \end{aligned}$$

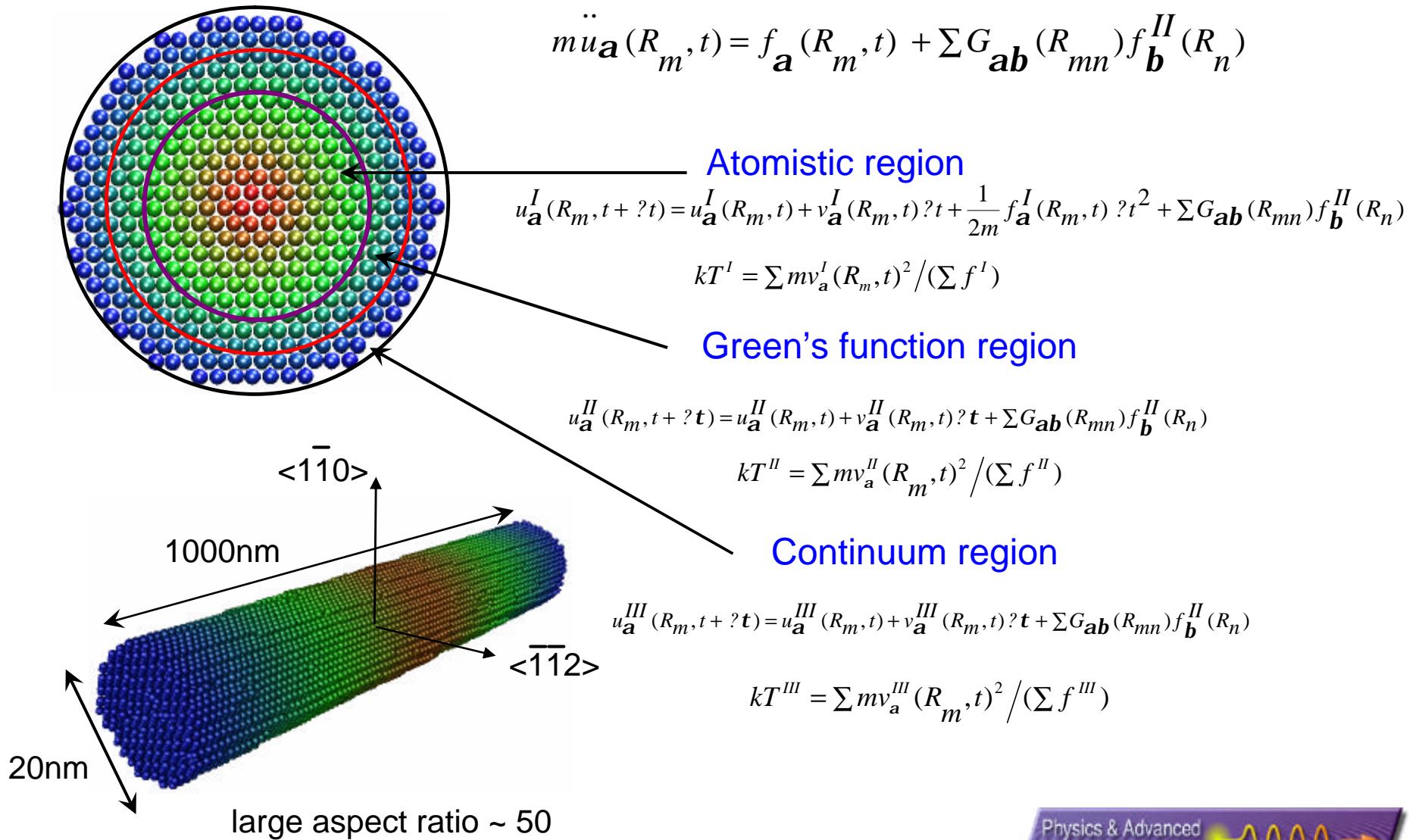
Computational efforts:

Including 1st and 2nd order derivatives

Matrix-matrix, matrix-vector and matrix-scalar operations



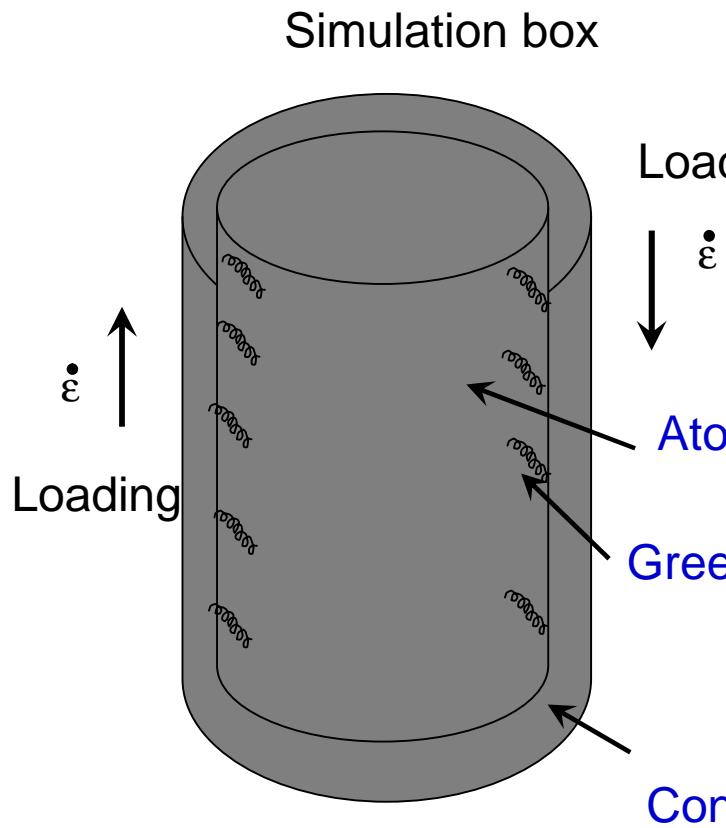
Green's function molecular dynamics (GFMD) simulation method – multi-resolution in space and time



Summary of GFMD method

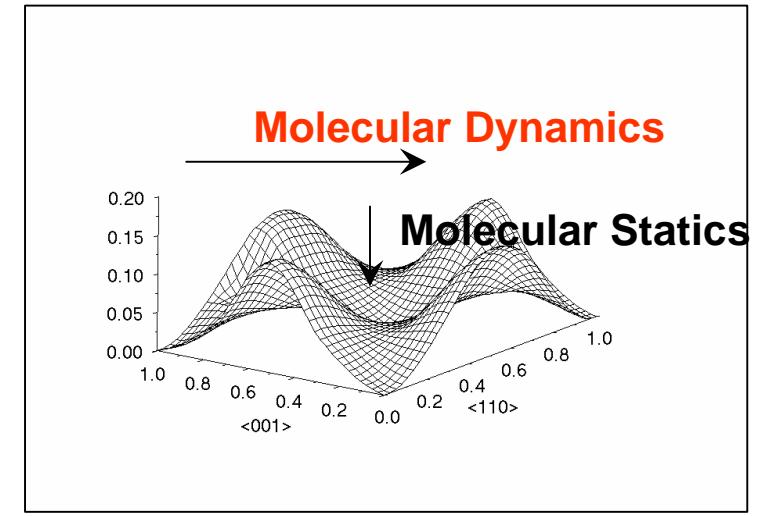


- A saving of 95% in size as compared to the traditional MD method



Goal:

Probe the energy landscape



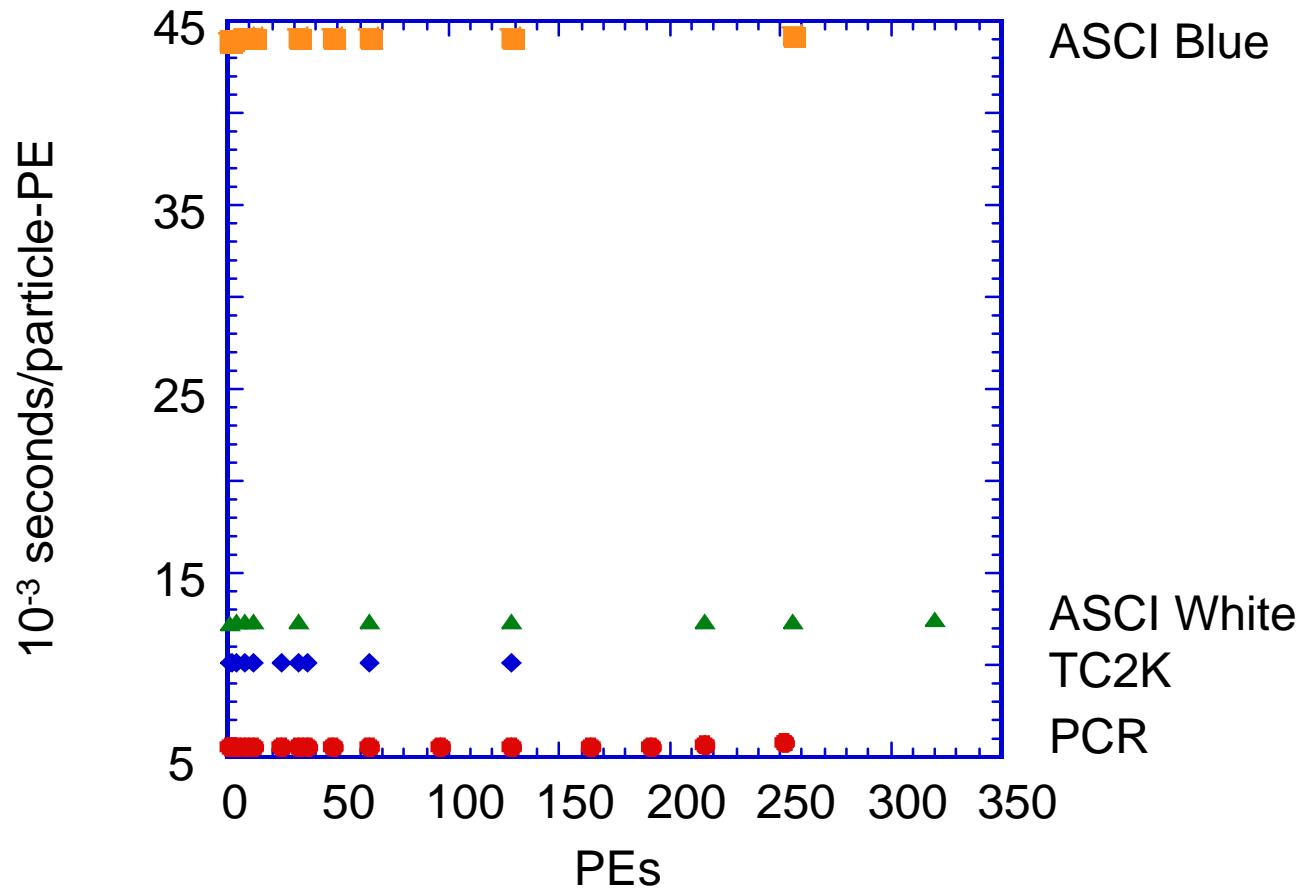
physical time X size = constant



GFMD simulation is a compute-bound application



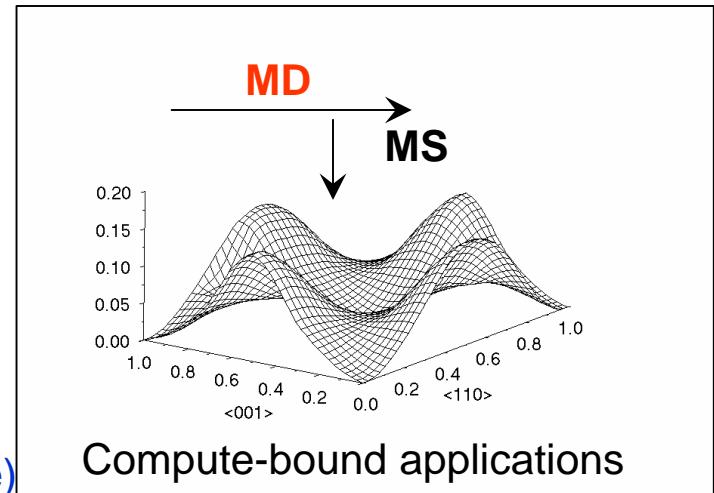
- 4000 atoms per PE



Our vision of GFMD simulations on BG/L – an estimate of workload



- Physical time for simulations **10^{-8} seconds**
- Typical time step size **10^{-15} seconds**
- Number of MD time steps **10^7**
- Number of MS steps **10^4**
- Number of atoms **3×10^7** (500/node, <200MB/node)



- Number of interactions in force calculations **192×10^7 /time step**
- Machine instructions per force calculations **5,000**
- Total number of machine instructions (40 runs) **40×10^{20}**

Estimated total wall-clock time **$230 / 0.75 = 307$ days**

assume 75% usage



Use virtual node mode (200 TF)



Our vision of GFMD simulations on BG/L – an estimate of storage requirement



• Bytes per atom	92
• Number of atoms	3×10^7
• Number of MD time steps	10^7
• Interval for MD data storage (time steps)	200
• Total storage (TB)	1,380
• Data quantization (integers)	50%
• Data compression	40% (?)
Estimated total storage requirement (TB)	$40 \times 276 \times 0.5 = 5520$

Data redundancy
I/O failures

Number of MD runs

Programming models



- ✓ Based on our experiences learned from LLNL's PCR Linux cluster and (hopefully) *incoming* MCR platform
- ✓ *Providing that BG/L shares similar design philosophy*
 - Initialization
 - Computation
 - Data management
 - Communication

Initialization



`MPI_Init()`

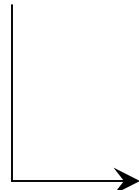
`MPI_Comm_size()`

`MPI_Comm_rank()`

.....

`GFMD_Init()`

- Start from $t - \Delta t$ – check data consistency
- `MPI_Cart_create()` – mapping from domain decomposition to processor topology
- Check I/O – file creation and write

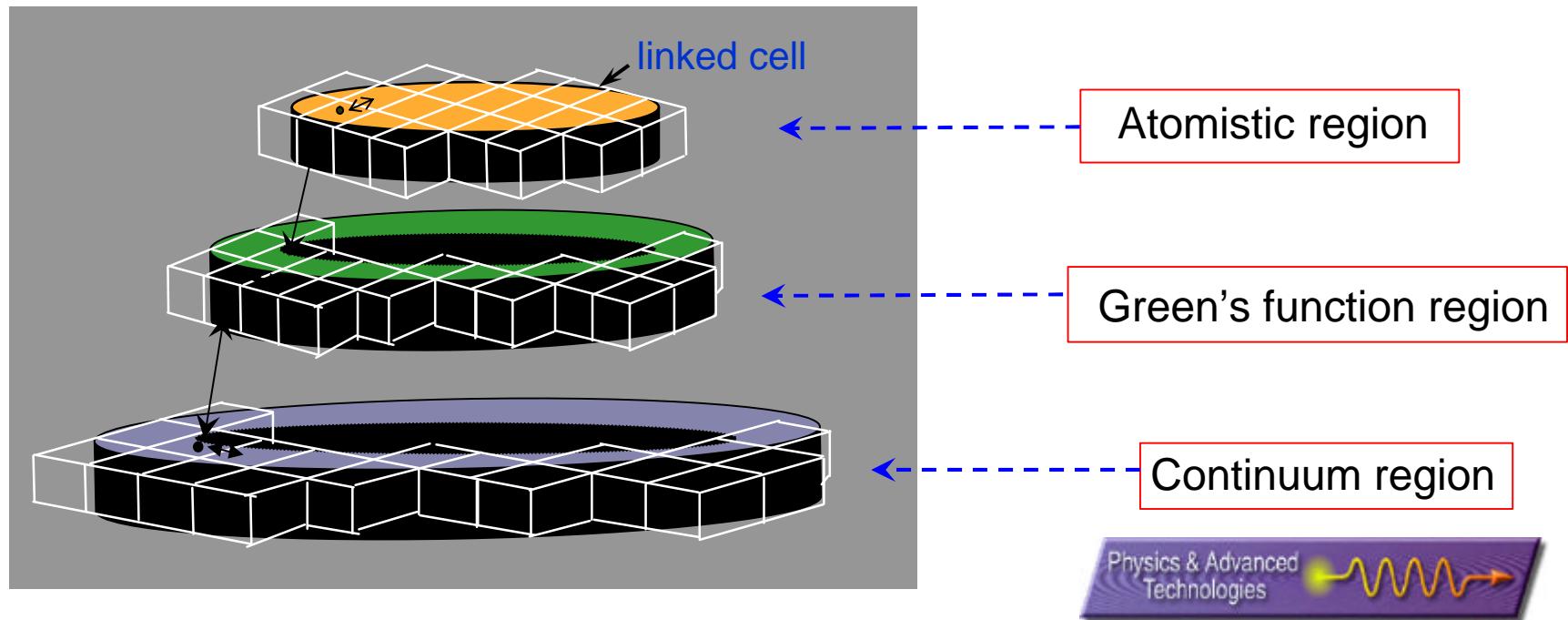
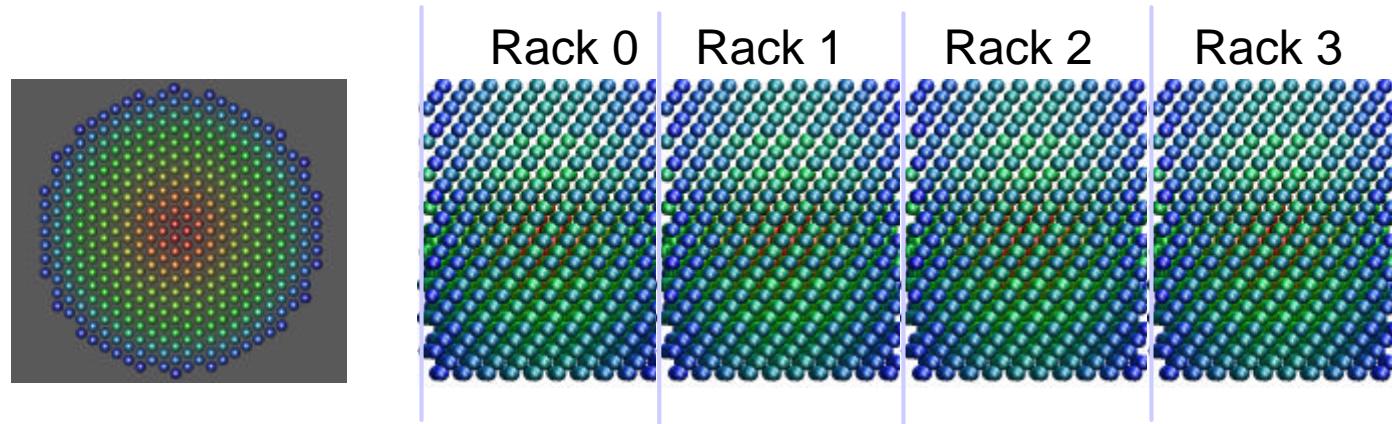


`MPI_Abort()`

or

Continue

Layered-cake domain decomposition



Unix-like interface for parallel I/O



- Compute nodes calculate offsets and sizes of data to be transmitted
- Each compute nodes combine all overlapping or consecutive I/O requests into one single I/O call
- Use MPI derived data type
- Global synchronization file creation

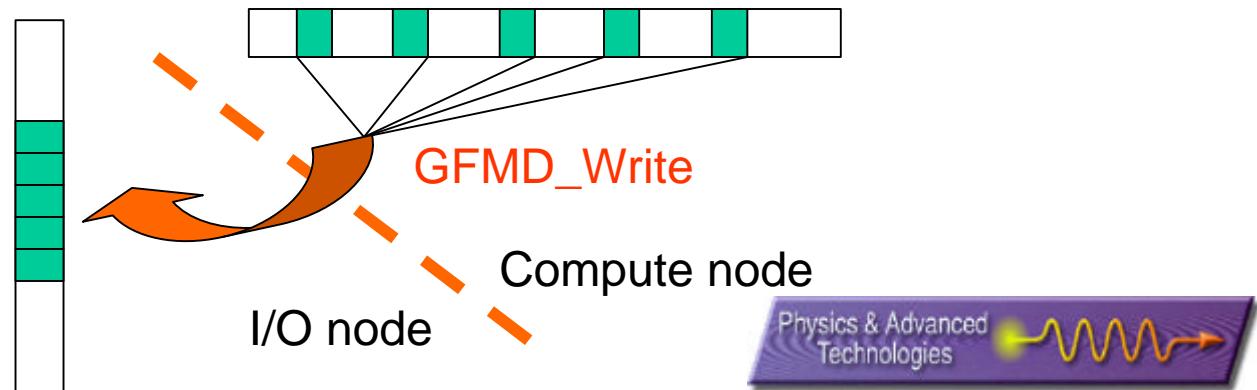
`FILE *GFMD_Create(char *filename)` {

- Single file creation
- Multiple file creation

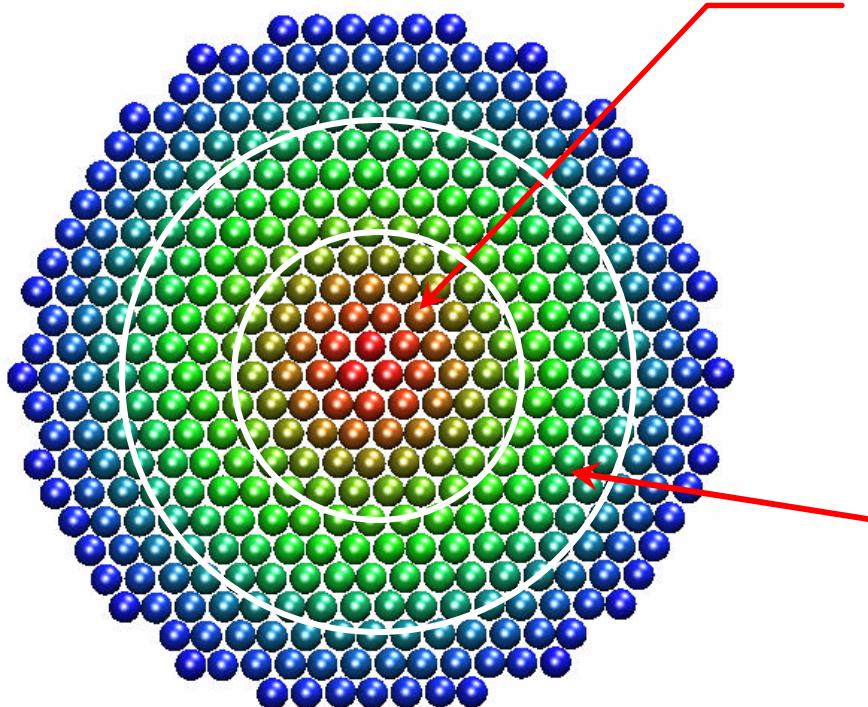
- Non-blocking I/O

`GFMD_Read(FILE *f, long offset, MPI_Datatype *data, unsigned long size)`

`GFMD_Write(FILE *f, long offset, MPI_Datatype *data, unsigned long size)`



Communication schemes



Short- and mid-range communications

- Required for every time step
- MPI derived data type
- MPI_Sendrecv()

(*MPI_Sendrecv_replace()?*)

- Fixed communication patterns

Global

- Required for every 10 time steps
- MPI derived data type
- MPI_Allreduce()
- MPI_Scatterv()



Conclusion and future work



- BG/L can bring atomistic simulations of materials strength one step closer to the experiments designed for NIF
- The incoming LLNL's MCR Linux cluster can provide a great opportunity to test and modify our programming models for BG/L
- Data compression scheme designed for MD simulations
- Optimization of I/O performance
- Domain decomposition based on computational and I/O requirements

Collaborators



H Division, PAT, LLNL

- Jim Glosli
- John A. Moriarty
- Per Soderlind